

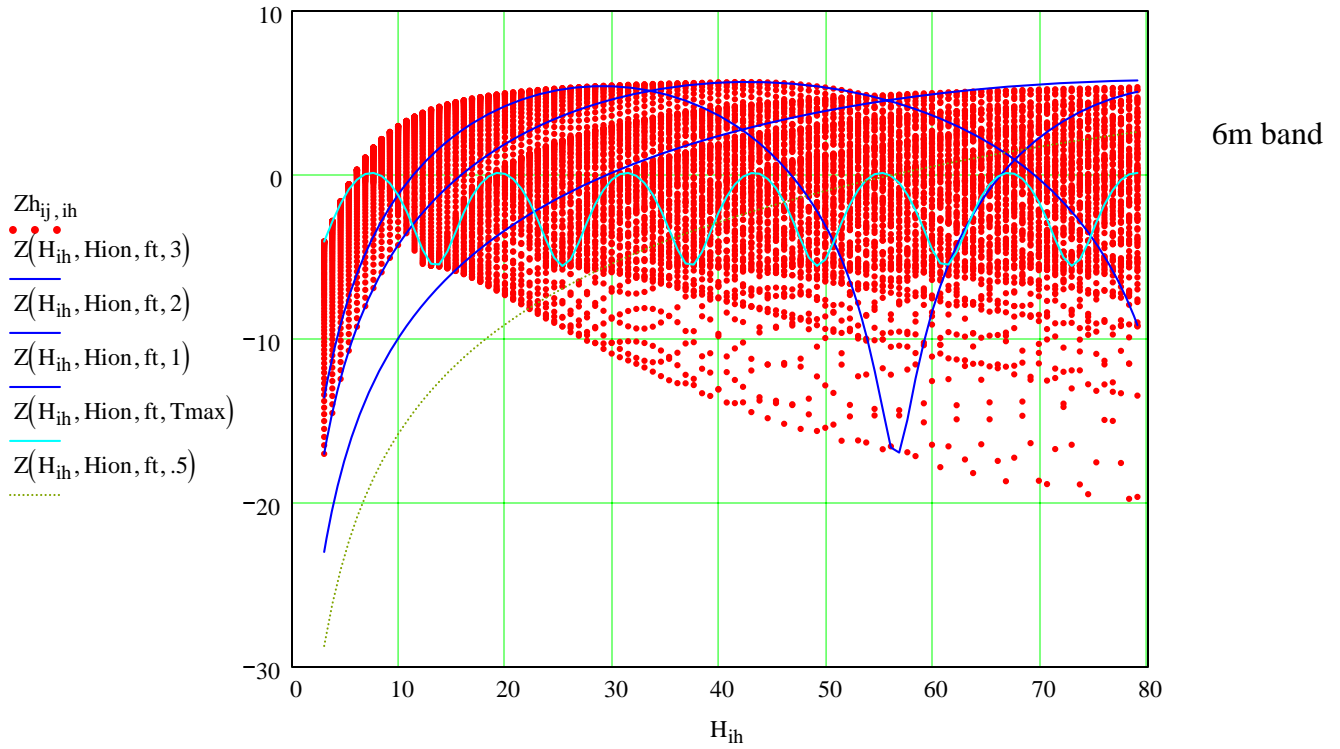
IH := 100      ih := 0..IH - 1      ij := 0..IH - 1      Hmax := 79

$$H_{ih} := hrms + \frac{ih}{IH - 1} \cdot (Hmax - hrms)$$

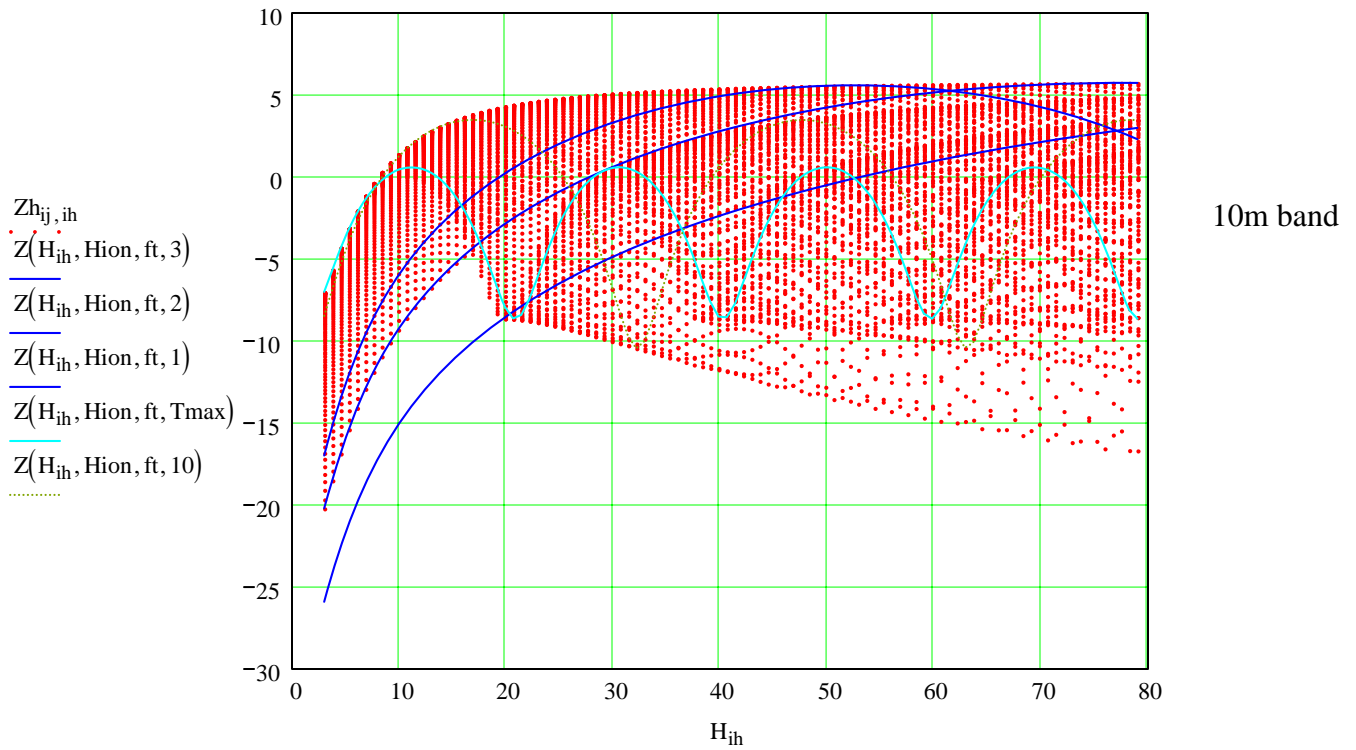
ft := 52      Tmin := 2      Tmax := 14

$$to_{ij} := Tmin + \frac{ij}{IH - 1} \cdot (Tmax - 1)$$

$$Zh_{ij,ih} := Z(H_{ih}, Hion, ft, to_{ij})$$



ft := 28      Tmax := 16      Tmin := 2       $to_{ij} := Tmin + \frac{ij}{IH - 1} \cdot (Tmax - 1)$        $Zh_{ij,ih} := Z(H_{ih}, Hion, ft, to_{ij})$



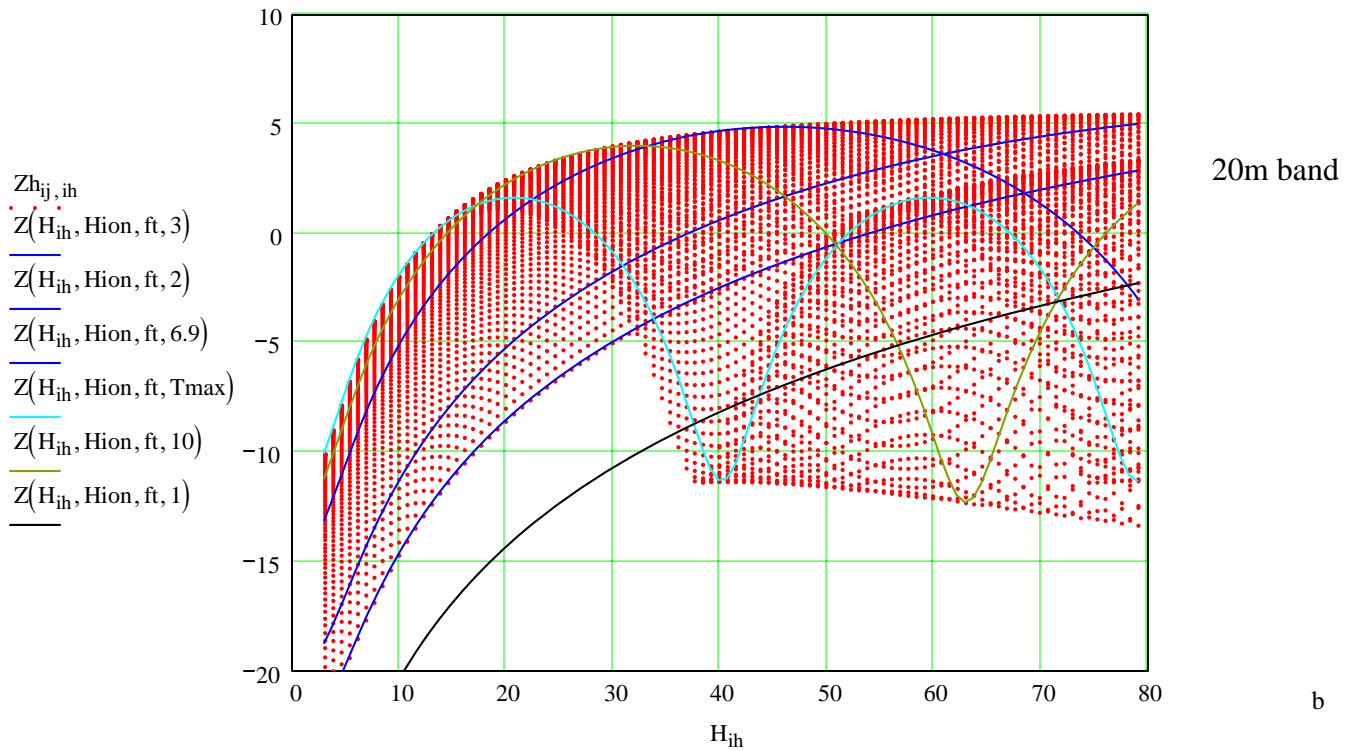
$$T_{\min} := 2$$

$$ft := 14$$

$$T_{\max} := 16$$

$$to_{ij} := T_{\min} + \frac{ij}{IH - 1} \cdot (T_{\max} - 1)$$

$$Zh_{ij,ih} := Z(H_{ih}, H_{ion}, ft, to_{ij})$$



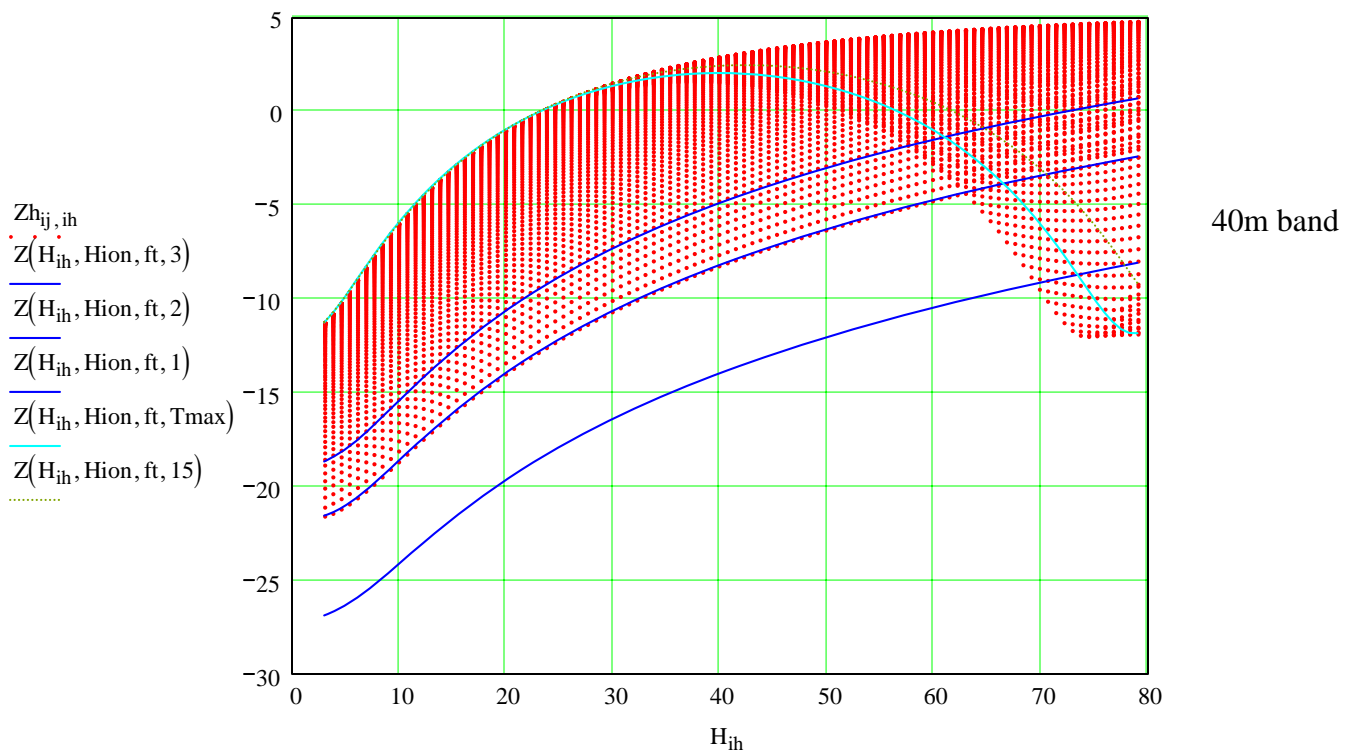
$$T_{\min} := 2$$

$$ft := 7$$

$$T_{\max} := 16$$

$$to_{ij} := T_{\min} + \frac{ij}{IH - 1} \cdot (T_{\max} - 1)$$

$$Zh_{ij,ih} := Z(H_{ih}, H_{ion}, ft, to_{ij})$$



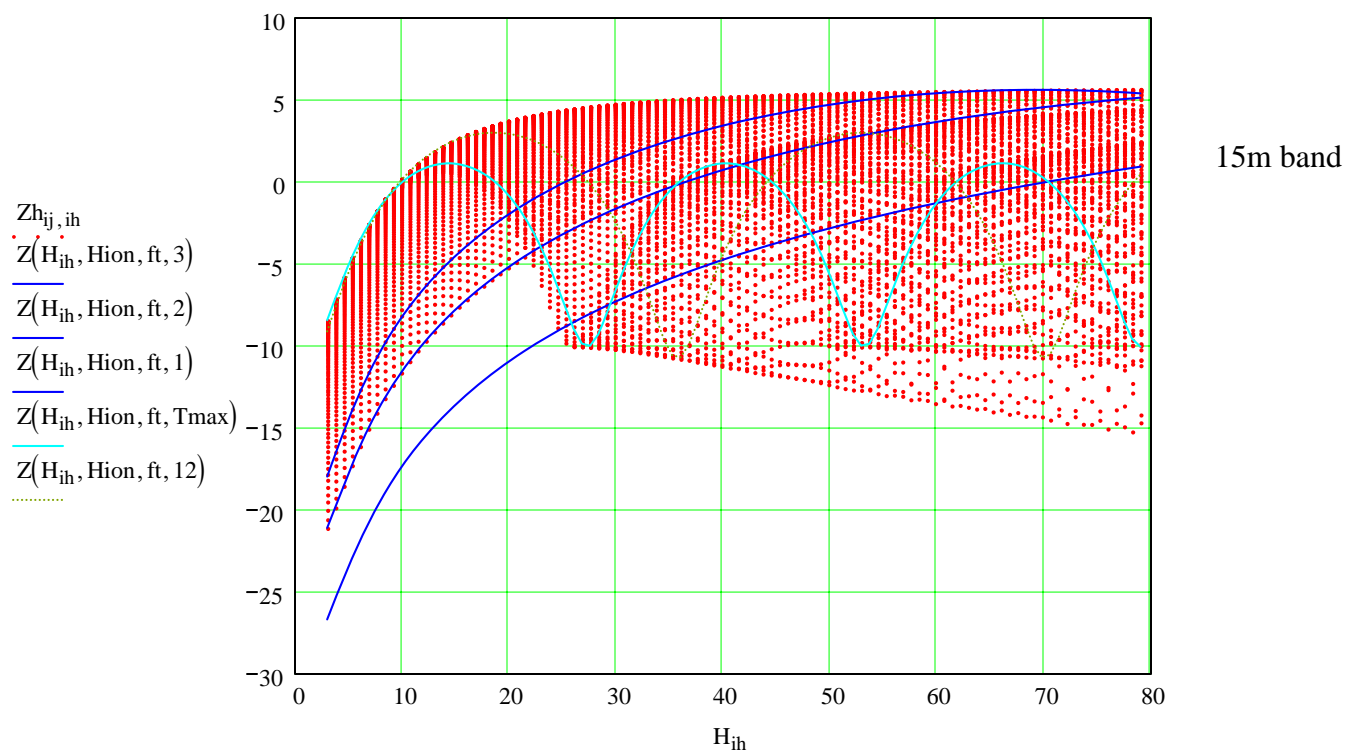
$$T_{\min} := 2$$

$$ft := 21$$

$$T_{\max} := 16$$

$$to_{ij} := T_{\min} + \frac{ij}{IH - 1} \cdot (T_{\max} - 1)$$

$$Zh_{ij,ih} := Z(H_{ih}, H_{ion}, ft, to_{ij})$$



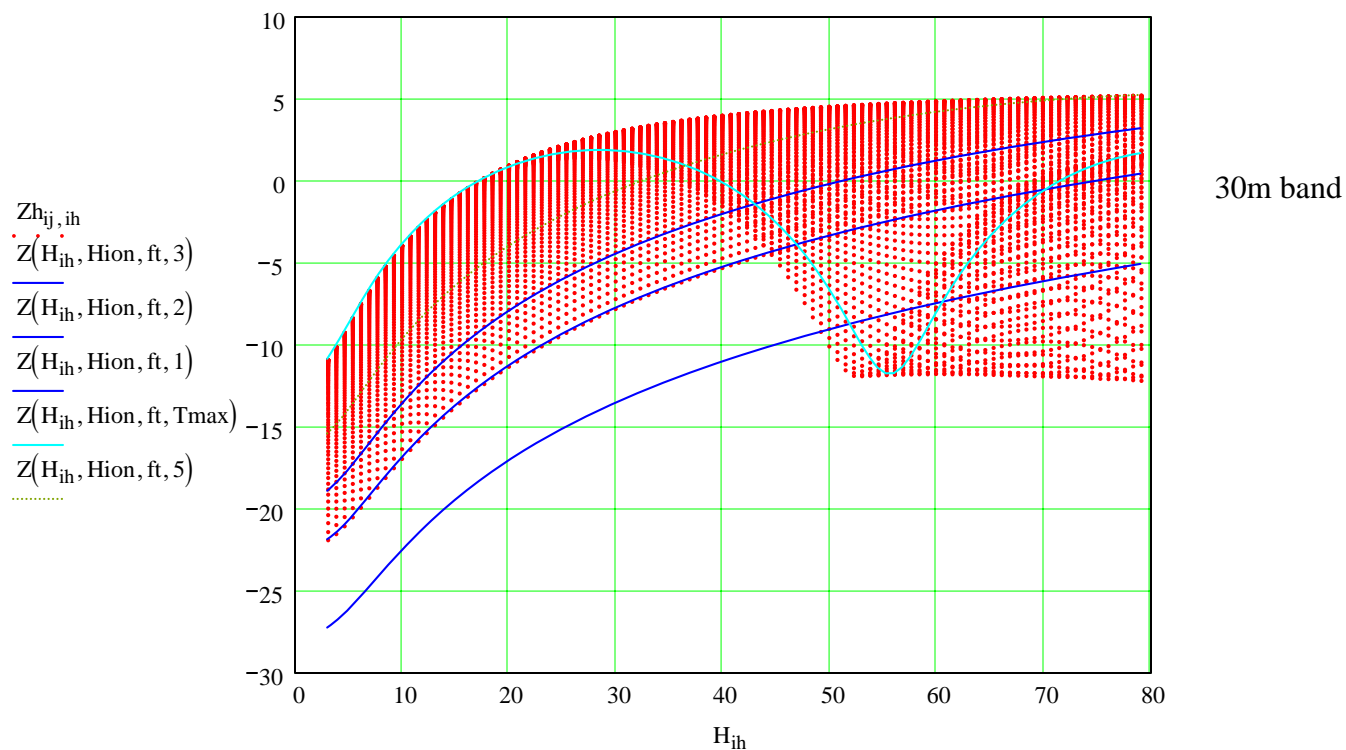
$$T_{\min} := 2$$

$$ft := 10$$

$$T_{\max} := 16$$

$$to_{ij} := T_{\min} + \frac{ij}{IH - 1} \cdot (T_{\max} - 1)$$

$$Zh_{ij,ih} := Z(H_{ih}, H_{ion}, ft, to_{ij})$$



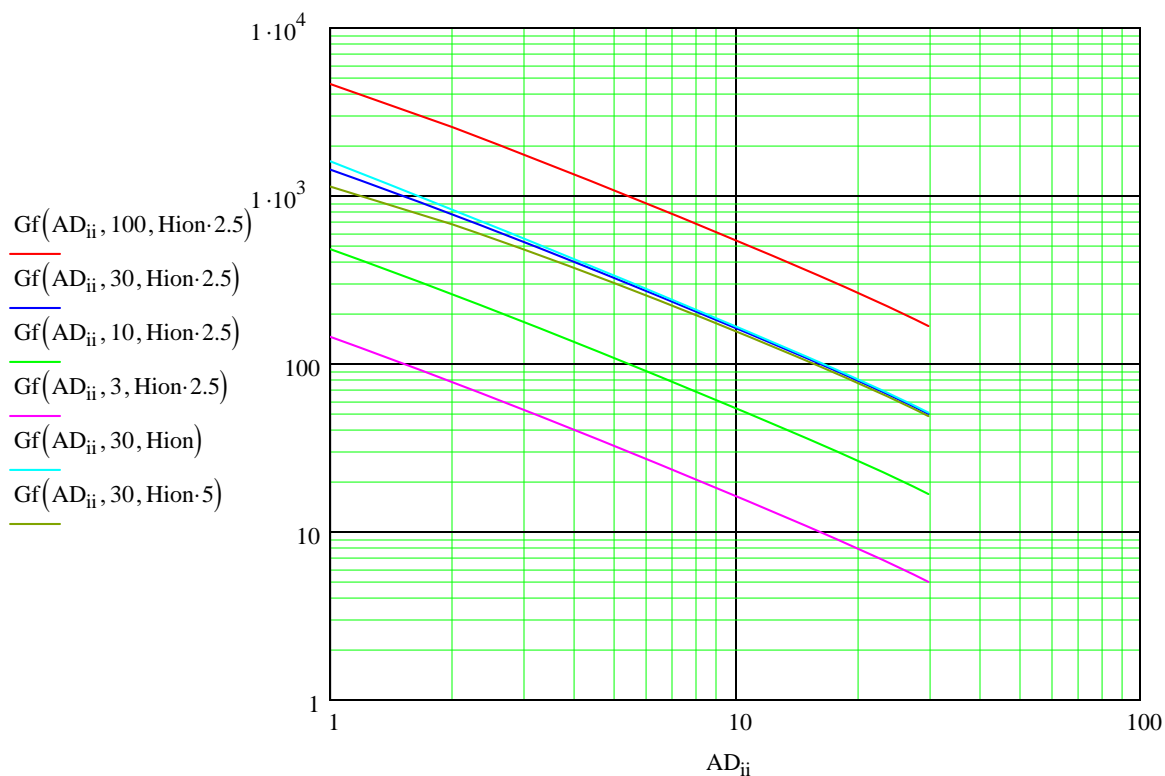
Distance, m, along the ground to the reflection point:

$$Gf(Tdeg, Hm, Hion) := Gb(Tdeg \cdot dtr, Hm, Hion)$$

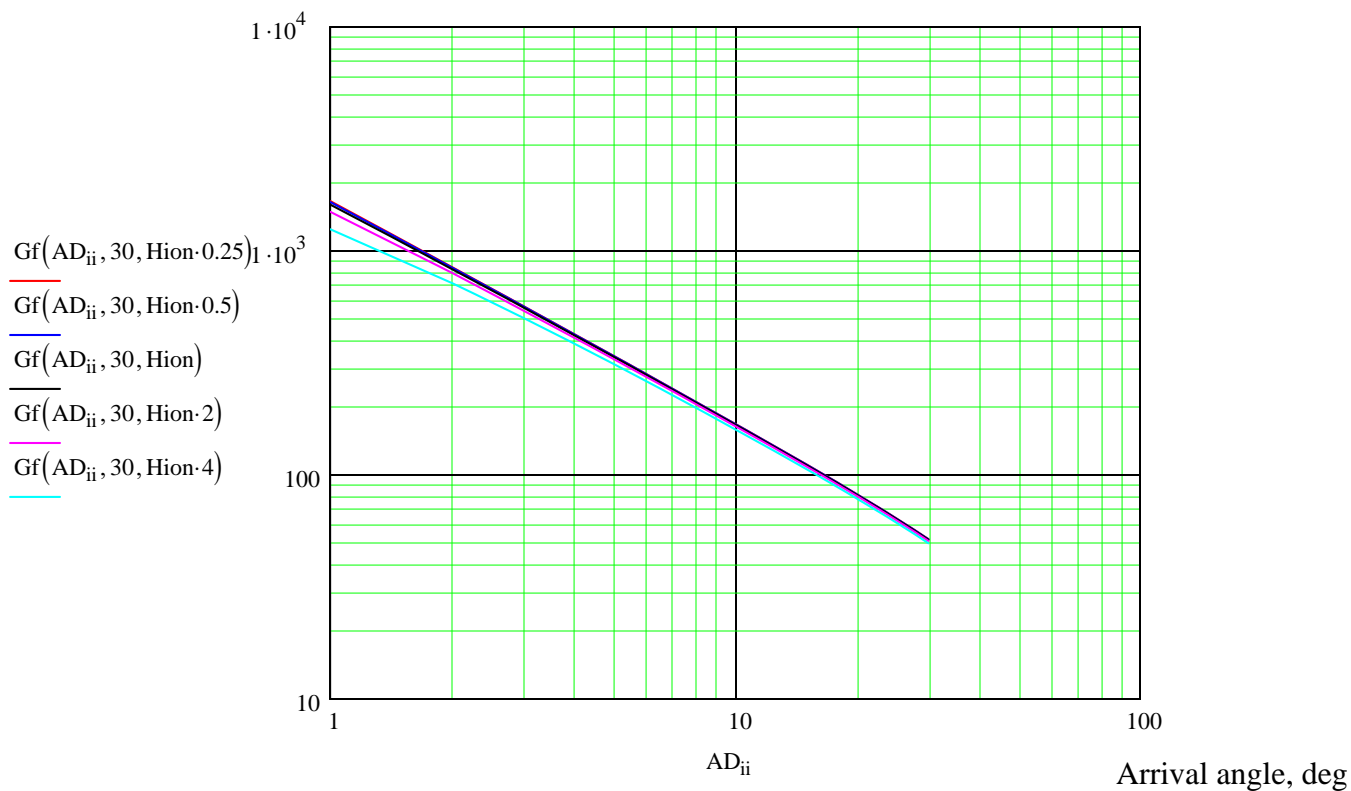
$$ii := 0 \dots 29 \quad AD_{ii} := (ii + 1) \quad Hion = 1 \times 10^5$$

Meters to reflection point

$$Gapp(a, h) := 55 \cdot \frac{h}{a}$$



Earth reflection point vs. ionosphere height



bot := -8

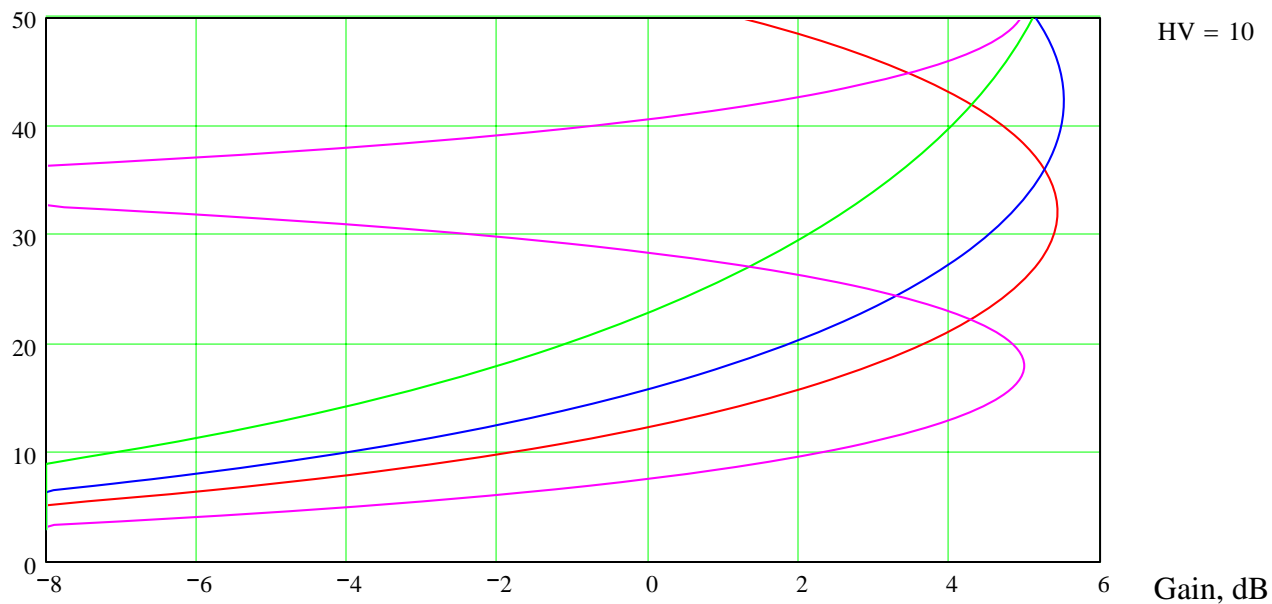
t0 = 5

t0 is arrival angle

$$G(h, H, \text{fMHz}, T) := \max(\text{bot}, 10 \cdot \log(P(T \cdot \text{dtr}, h, H, \varepsilon(12, .0005, \text{fMHz}), \text{hrms}, \text{fMHz}, HV))))$$

meters

Height gain over dry earth.



Almost entirely HORIZONTAL polarization over Sea: HV := 20

hrms3 := 2

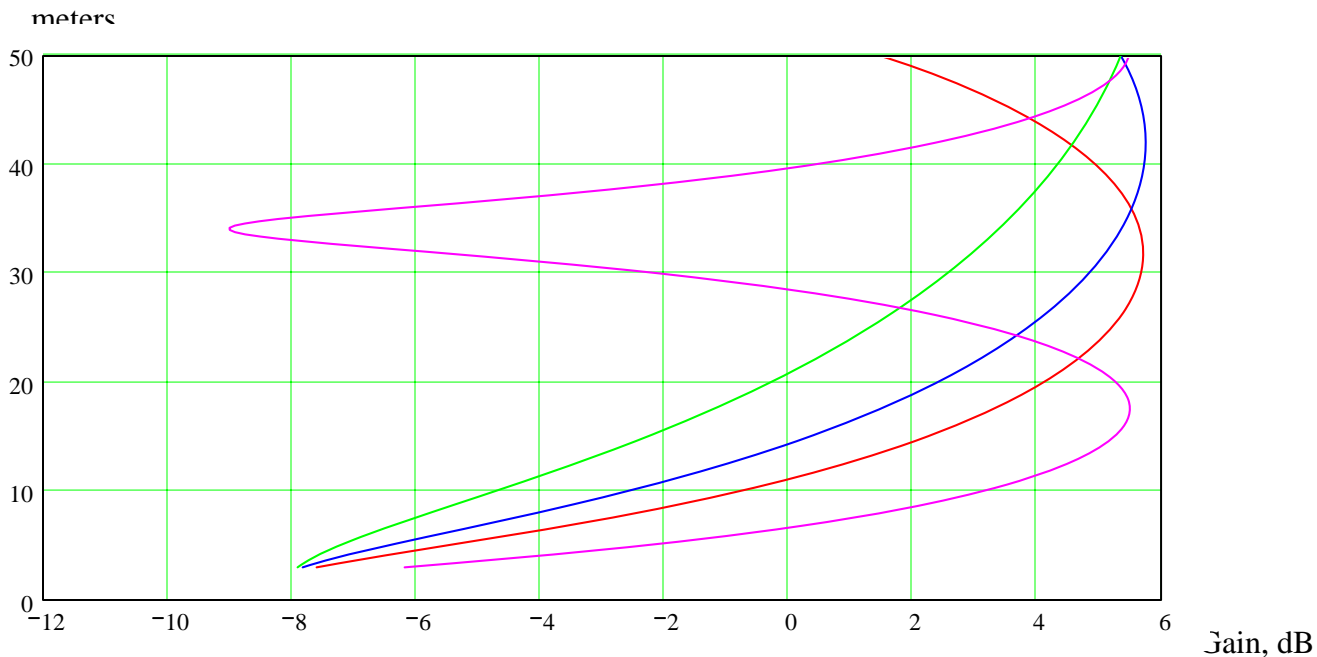
t0 := 5

bottom of plot: bot := -12

t0 is arrival angle

$$W(h, H, \text{fMHz}, T) := \max(\text{bot}, 10 \cdot \log(P(T \cdot \text{dtr}, h, H, \varepsilon(70.6, 4.54, \text{fMHz}), \text{hrms3}, \text{fMHz}, HV))))$$

HF height gain over sea water, H polarization.



hrms3 = 2

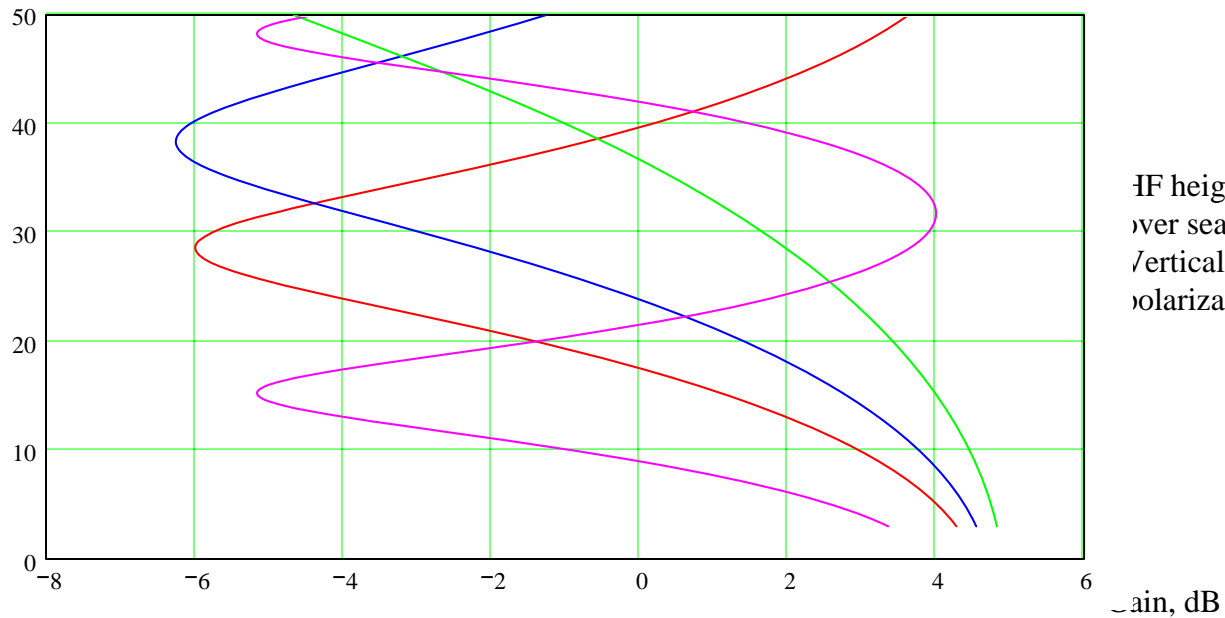
HV := 0.05

## Sea water vertical pol

t0 is arrival angle

$$f(h, H, \text{fMHz}, T) := 10 \cdot \log(P(T \cdot \text{dtr}, h, H, \varepsilon(70.6, 4.54, \text{fMHz}), \text{hrms3}, \text{fMHz}, HV))$$

t0 := 5

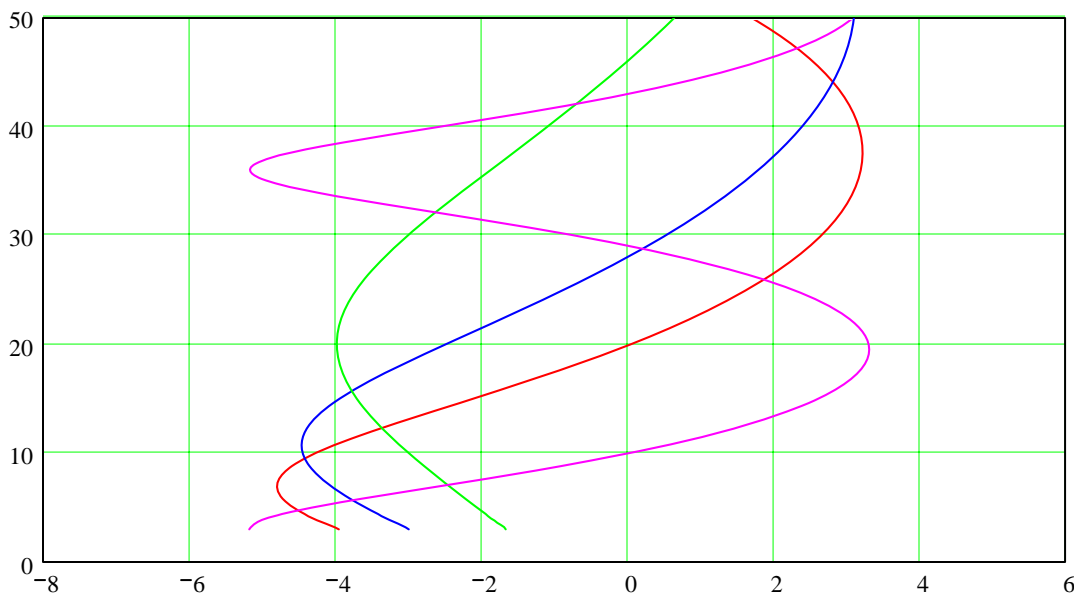


## Earth vertical pol

HVs := 0.05

$$s(h, H, \text{fMHz}, T) := 10 \cdot \log(P(T \cdot \text{dtr}, h, H, \varepsilon(12, 0.05, \text{fMHz}), \text{hrms3}, \text{fMHz}, HVs))$$

t0 = 5



For ground mounted vertical use 4-square array with 6 dBi gain. BW3 := 45

Yagi gain is omitted, but equals

$$\text{fourSdB} := 10 \cdot \log(\text{Gain}(2 \cdot \text{BW3}))$$

fourSdB = 6.021

Cosine pattern equivalent: n := 1

$$N_{\text{power}} := \text{root}(\cos(\text{BW3} \cdot \text{dtr})^n - 0.5, n)$$

Npower = 2

$$PLv(\text{TO}) := 10 \cdot N_{\text{power}} \cdot \log(\cos(\text{TO} \cdot \text{dtr}))$$

PLv(BW3) = -3.01